## Descriptive geometry and engineering graphics

## L01

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## Contact details

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Consultations: Wednesday 12.00-13.00
elearning.po.edu.pl $\rightarrow$ Descriptive geometry [21/22L] course

## Conditions for passing the subject:

- grade from the test
- positive evaluation of the tasks on the exercises

Nomenclature

- point $\rightarrow \quad$ A, B, C ... 1, 2, $3 \ldots$ I, II, III
- straight-line $\quad \rightarrow \quad \mathbf{a}, \mathbf{b}, \mathbf{c} \ldots$
- plane $\quad \rightarrow \quad \alpha, \beta, \gamma \ldots$



## relationships

|  | parallerism $\quad a\|\mid b$ |
| :---: | :---: |
| A | intersection $\quad \mathrm{a} \times \mathrm{b}=\mathrm{A}$ |
|  | straight line intersecting the plane $\mathrm{a} \times \alpha=\mathrm{A}$ <br> straight line parallel to the plane <br> b \|| $\alpha$ |
|  | parallel planes $\quad \alpha\|\mid \beta$ |
|  | intersecting planes $\quad \alpha \times \beta=\mathrm{a}$ |

## projections

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## Perpendicular projection $\mathrm{k} \perp \pi$



## Invariants projections

- affiliation of a point to a set of points,
- collinearity of points,
- parallelism of straight lines,
- the ratio of the section division,
- ratio of the length of parallel segments,
- length of the segment parallel to the viewport,
- the size of the angle with both arms parallel to the viewport.


## Projections - axonometry

Type of parallel projection, projection of space (3D object) on a plane using a rectangular axis system.

$S$ - direction of projection, $\pi^{\prime}$ - viewport , x'y'z' - projected coordinate system

